

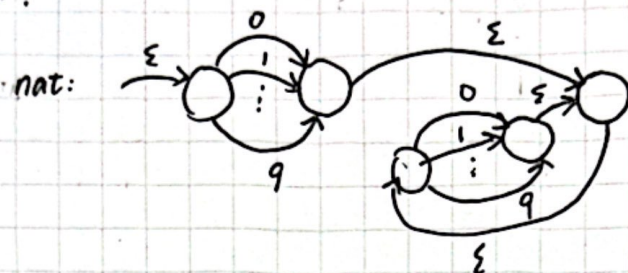
一、TTTFF FTTF TTFT FFTT

二、BDDCA DACCD DCCBD BBDCB

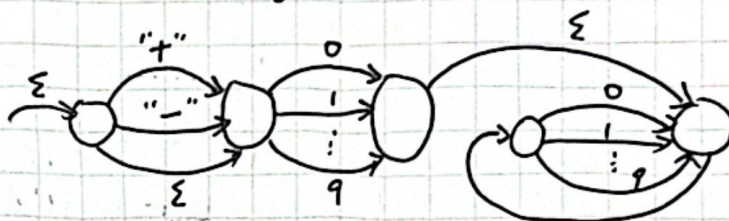
三、1. $\text{nat} = [0-9]^+$
 $\text{signedNat} = ("+" | "-") ? \text{nat}$
 $\text{number} = \text{signedNat} ("." \text{nat}) ? (\epsilon \text{ signedNat}) ?$

DFA for number:

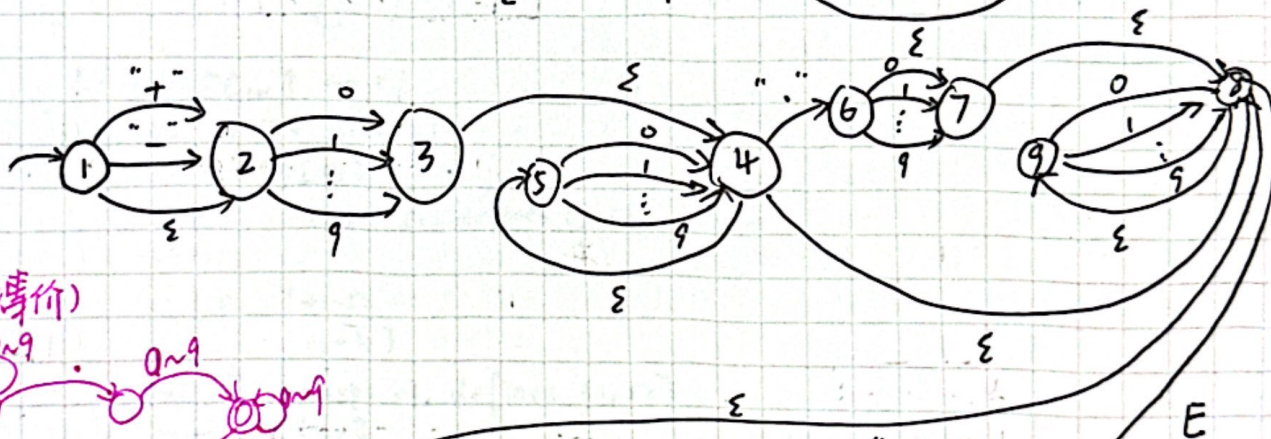
The NFA:



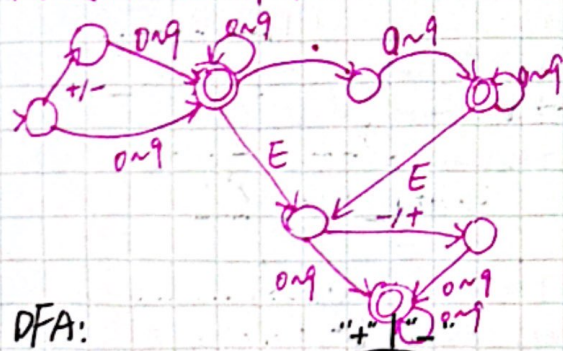
signedNat:



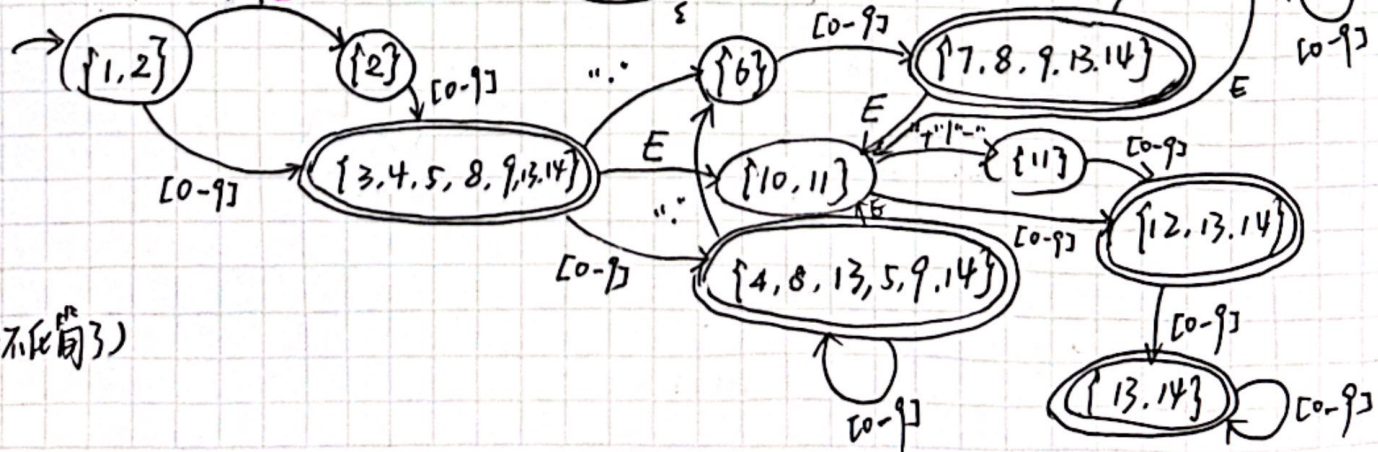
number:



附:简化后(应该等价)



DFA:



(就不化简了)

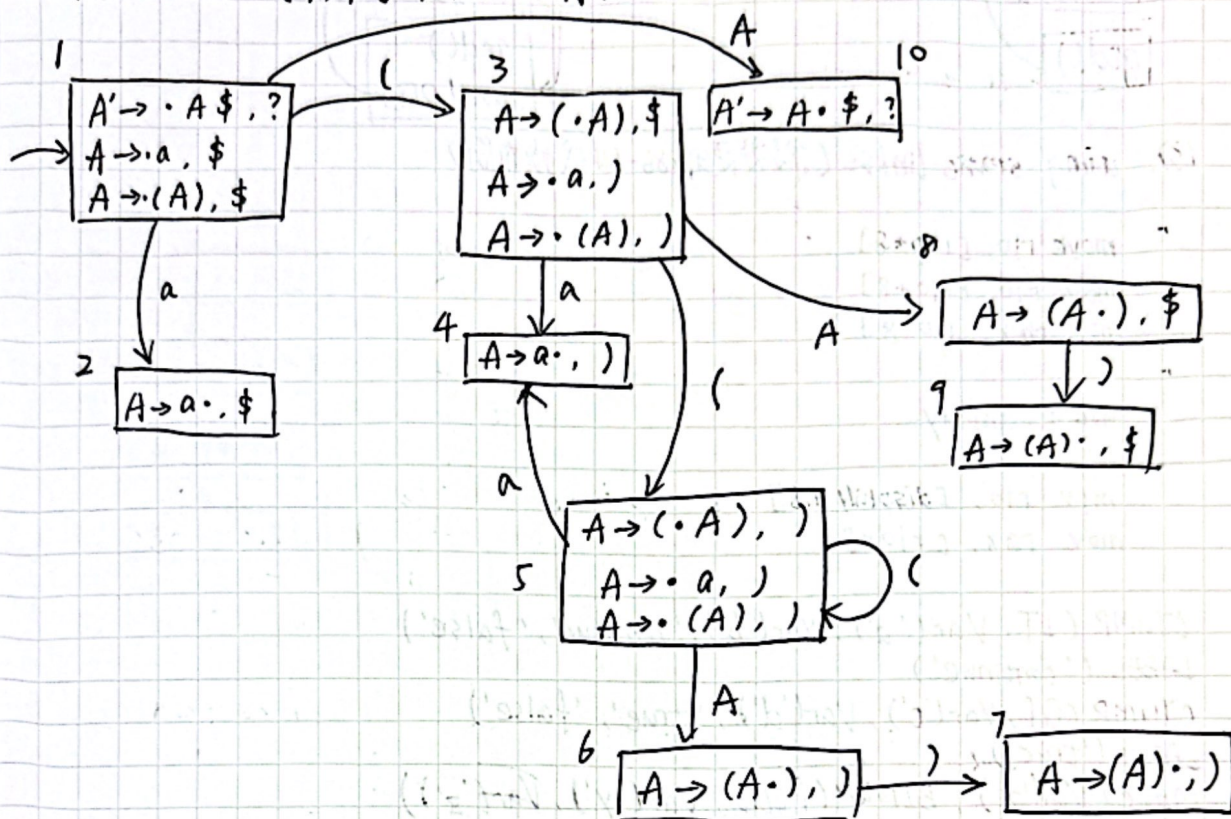


2. (1). nullable: $\emptyset$
terminal: $\{\$, (,), a\}$

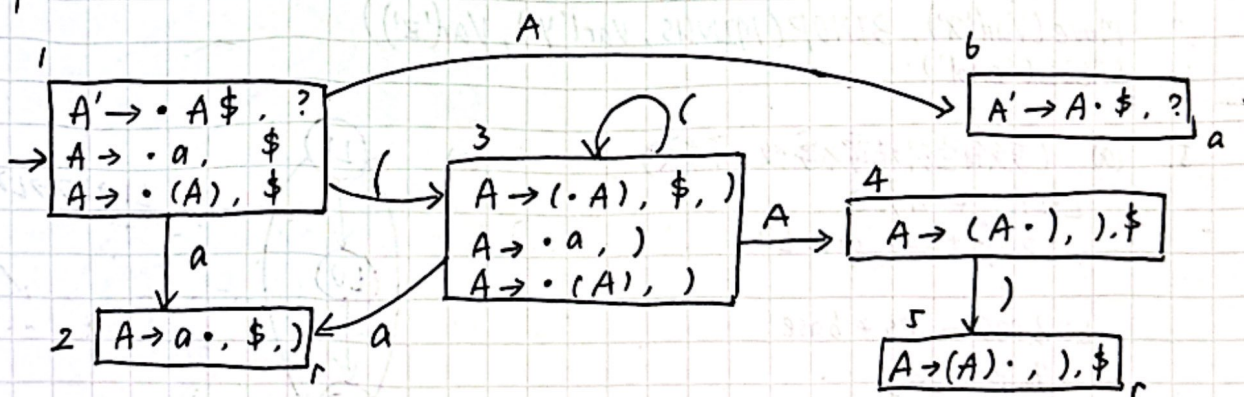
$\text{First}(A) = \{ (, a \}$, $\text{First}(A') = \{ (, a \}$

$\text{Follow}(A) = \{), \$ \}$, $\text{Follow}(A') = \emptyset$

0: $A' \rightarrow A\$$
1: $A \rightarrow (A)$
2: $A \rightarrow a$

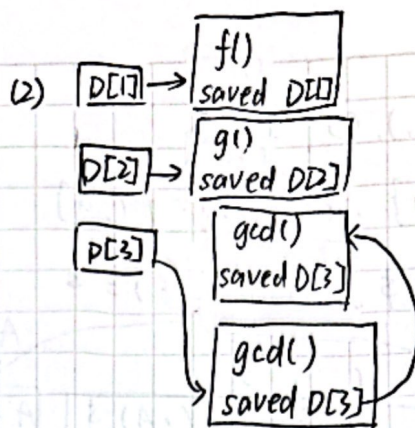
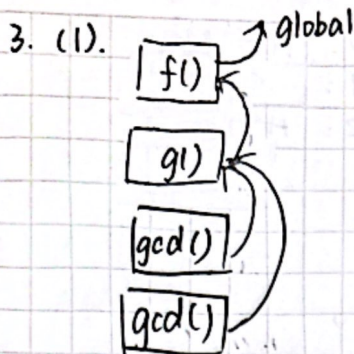


合并: 3和5, 2和4, 6和8, 7和9



(2) state	Action				Goto
	a	(	)	\$	
1	s2	s3			A g6
2			r2	r2	
3	s2	s3			g4
4			s5		
5			r1	r1	
6					Accept





(3). using static links: (假设使用x86-64栈帧布局)

```
mov r10, [rbp+8]
mov r10, [r10+8]
mov rax, [r10-8]
```

using display:

```
mov r10, [display+8]
mov rax, [r10-8]
```

4.

```
CJUMP (LT, Var('a'), Var('b'), 'continue', 'false')
LABEL ('continue')
CJUMP (GT, Var('c'), Var('d'), 'true', 'false')
LABEL ('true'):
Move(Var('x'), BINDP(PLUS, Var('y'), Var('z')))
JUMP ('end')
LABEL ('false')
Move(Var('x'), BINDP(MINUS, Var('y'), Var('z')))
LABEL ('end')
```

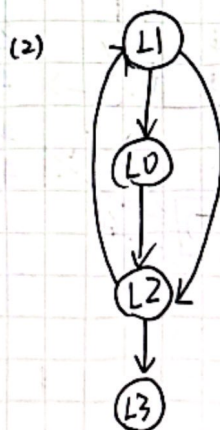
5. (1) (其实有些语句要不要改L下标)

```
L1: 1. t ← n % 2
    2. if t == 0 goto L2
```

```
L0: 3. res ← res * base
    goto L2
```

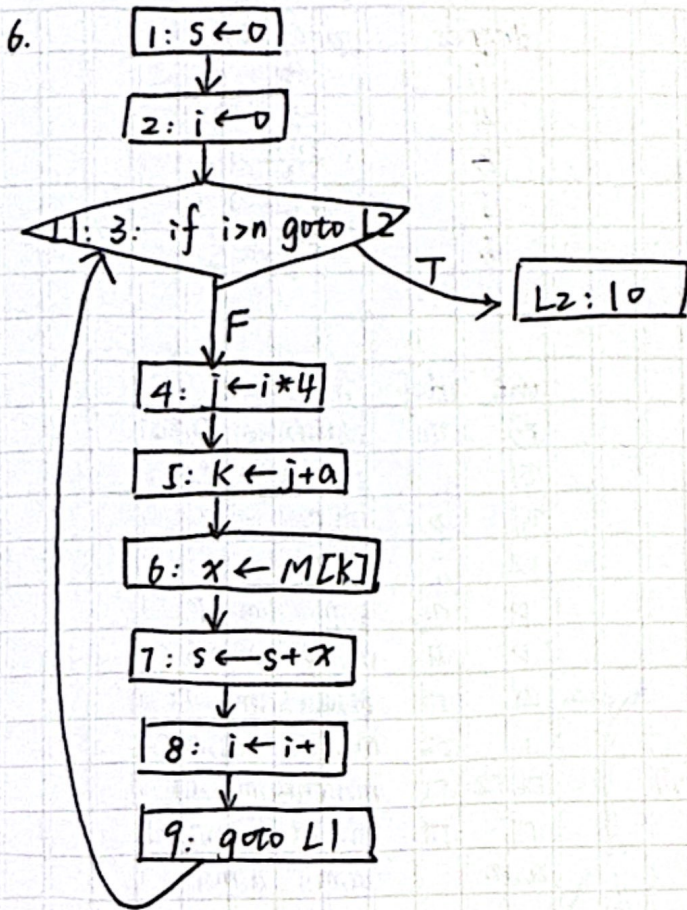
```
L2: 4. base ← base * base
    5. n ← n / 2
    6. if n > 0 goto L1
```

```
L3: 7. return res
```



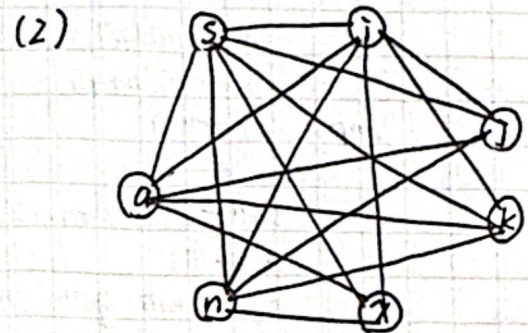
$L1 \rightarrow L0 \rightarrow L2 \rightarrow L3$





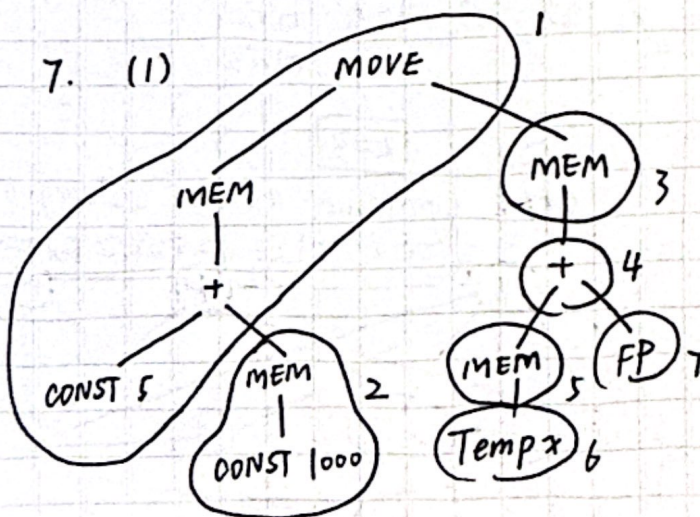
(1)

inst	use	def	in	out
1		s	a, n	a, n, s
2		i	a, n, s	i, a, n, s
3	i, n		i, a, n, s	i, a, s, n
4	i	j	i, a, s, n	j, a, s, i, n
5	j, a	k	j, a, s, i, n	k, s, i, a, n
6	k	x	k, s, i, a, n	s, x, i, a, n
7	s, x	s	s, x, i, a, n	i, a, n, s
8	i	i	i, a, n, s	i, a, n, s
9			T, a, n, s	i, a, n, s
10				



(如果按本算法)

(* 噪按“同时活跃即有可能冲突”)
除 k 和 j、k 和 x、x 和 j 外均冲突



(2) 2: LOAD r1 ← M[1000]
5: LOAD r2 ← M[r1]
4: ADD r3 ← r2 + fp
3: LOAD r4 ← M[r3]
1: STORE M[5+r1] ← r4



8. (1). (a)

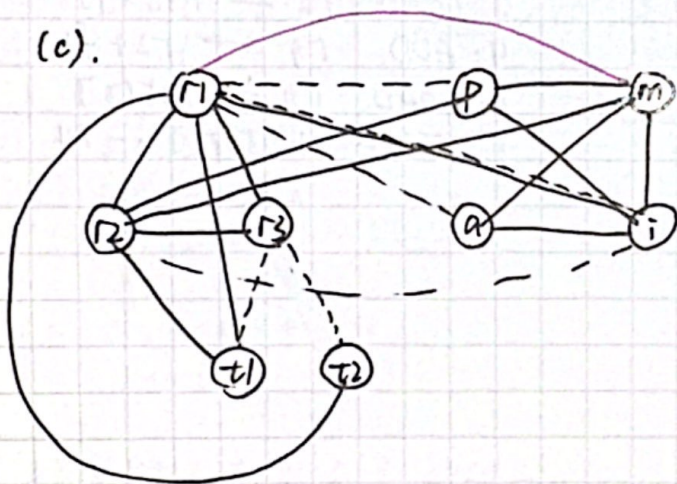
variable	use	def	degree	priority
t	1	1	6	$\frac{1}{3}$
p	2	1	4	$\frac{2}{4}$
a	3n	1+2n	3	$\frac{5n+1}{3} \geq 2$
i	1+3n	1+n	5	$\frac{4n+2}{5} \geq \frac{6}{5}$
m	2n	1	6	$\frac{2n+1}{6} \geq \frac{1}{2}$

∴ choose t to spill

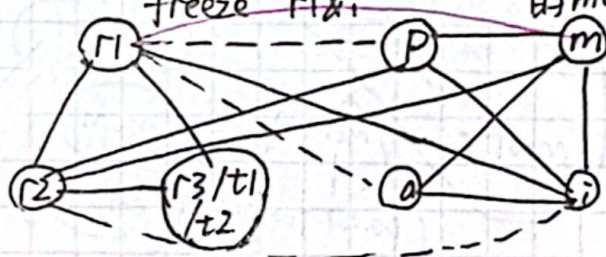
(b). enter: $t1 \leftarrow r3$
 $M[tloc] \leftarrow t1$
 $p \leftarrow r1$
 $i \leftarrow r2$
 $m \leftarrow M[p]$
 $a \leftarrow M[p+4]$
loop: $r1 \leftarrow a$
 $r2 \leftarrow i$
call f (use r1, r2, def r1)
 $a \leftarrow r1$
if $a > m$ goto end
 $a \leftarrow m - a$
 $i \leftarrow i - 1$
if $i > 0$ goto loop
end: $r1 \leftarrow i$
 $t2 \leftarrow M[tloc]$
 $r3 \leftarrow t2$
return (r1, r3 live out)

use	def	in	out
r3	t1	r1, r2, r3	r1, r2, t1
t1		r1, r2, t1	r1, r2
r1	p	r1, r2	r2, p
r2	i	r2, p	i, p
p	m	i, p	m, i, p
p	a	m, i, p	m, a, i
a	r1	m, a, i	m, i, r1
i	r2	m, i, r1	m, i, r1, r2
r1, r2	r1	m, i, r1, r2	m, i, r1
r1	a	m, i, r1	a, m, i, r1
a, m		a, m, i	a, m, i
a, m	a	a, m, i	i, m, a
i	i	i, m, a	i, m, a
i		i, m, a	i, m, a
i	r1	i	r1
	t2	r1	t2, r1
t2	r3	t2, r1	r1, r3
		r1, r3	r1, r3

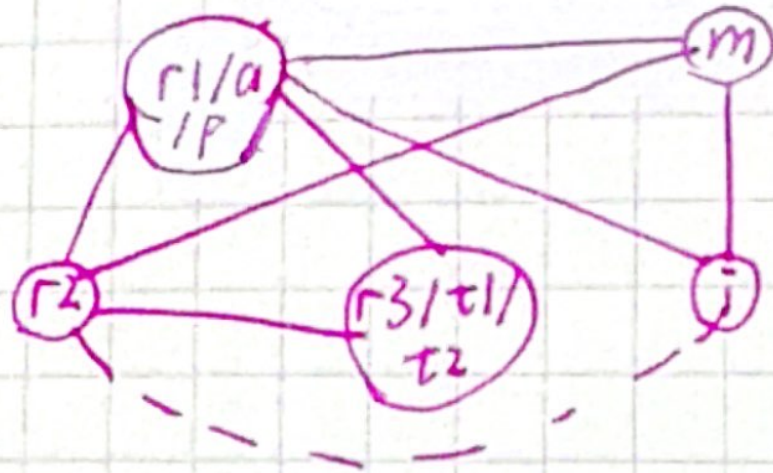
(c).



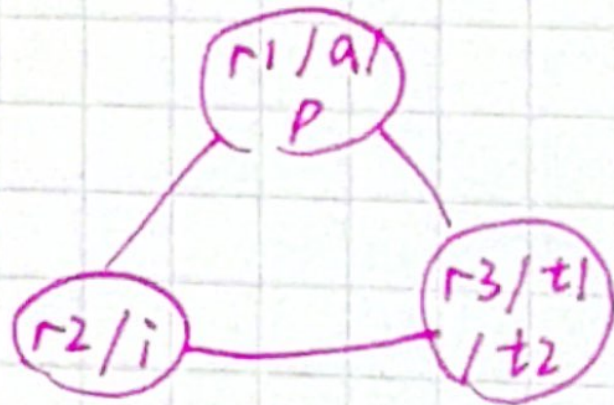
(2). $k=3$ r3 & t2 (George)
step 1. Coalesce r3 & t1 (George)
freeze r1 & i 的移动



11 & P.
step 2. 合并 r1 & a (George)



step 3. 合并 r2/i (George)
simplify m.



color:

p	r1
i	r2
t1	r3
t2	r3
m	r3
a	r1



(3).

enter: $M[tloc] \leftarrow r3$

$r3 \leftarrow M[r1]$

$r1 \leftarrow M[r1+4]$

loop:

call f (use $r1, r2$, def $r1$)

if $r1 > r3$ goto end

$r1 \leftarrow r3 - r1$

$r2 \leftarrow r2 - 1$

if $r2 > 0$ goto loop

end:

$r1 \leftarrow r2$

$r3 \leftarrow M[tloc]$

~~$r3 \leftarrow r2$~~

return ($r1, r3$ live out)



一、Mark each statement *true* or *false* (1 points each, 20 cents)

- T 1. When using the subset construction method, in the worst case, an n -state NFA will be converted into a 2^n -state DFA.
- T 2. The regular expression `/* * */* ((/* */|/* */|/* */|/* */)* /* */*` can accept all C-style comments. 没看懂
- T 3. The grammar $S \rightarrow (S)S \mid \epsilon$ is LL(1) (Nullable: S Follow of S : $)$
First of S : $($ $)$ $\$$
- F 4. Imperative-style environments is usually not considered to be implemented using hash tables. $S \rightarrow \epsilon$
- F T 5. A static link of a function's stack frame points to the its caller's stack frame. 词法函数数
- F 6. Escaping variables must be kept in the registers.
- T 7. A display is an array for maintaining frame pointers.
- T 8. Lexical analysis, syntax analysis, and semantic analysis are tasks that should be completed by the frontend of a compiler.
- F 9. The task of instruction selection is to tile the IR tree with a minimal set of tree patterns. cost.
- F 10. Using Maximal Munch algorithm, the optimum tiling can be obtained.
- T 11. The liveness of variables should be analyzed from future to past. 感觉都可以? 原理上是对的, 但算法上没有"必须", 只是收敛快慢
- T 12. The solution to the dataflow equation is a conservative approximation.
- F 13. Via tree canonicalization, one can eliminate all the CALL instructions in the IR tree. 改成ESEQ对吗?
- F 14. A node d dominates a node n if some path of directed edges from start node s_0 to n goes through d . x
- F 15. $\text{MOVE}(\text{MEM}(x), y)$ commutes with $\text{MEM}(z)$ if $x \neq z$. 没看懂 可交换? 有影响
- T 16. The general rewriting rule rewrites $[e1, e2, \text{ESEQ}(s, e3)]$ into $(\text{SEQ}(\text{MOVE}(t1, e1), s); [\text{TEMP}(t1), e2, e3])$ if s commutes with $e1$, yet not with $e2$.
- F 17. For graph coloring with coalescing, if neither simplify nor coalesce applies, we should first select a node for potential spilling.
- T 18. In an interference graph, if there is a MOVE between a and b , and for every neighbor t of b , either t already interferes with a or t is of insignificant degree, then a and b can be coalesced.
- T 19. The records whose reference counts are not zero will not be reclaimed by the mark-and-sweep collection. 方法不匹配
- T 20. Using breadth-first copying collection instead of depth-first copying can

